

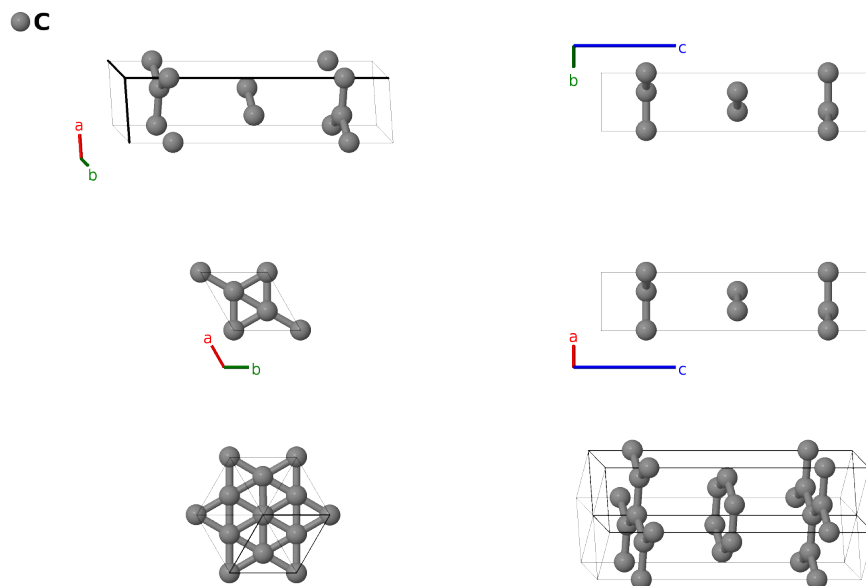
# Rhombohedral Graphite Structure: A\_hR2\_166\_c-002

This structure originally had the label A\_hR2\_166\_c.C. Calls to that address will be redirected here.

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<https://aflow.org/p/NXUA>

[https://aflow.org/p/A\\_hR2\\_166\\_c-002](https://aflow.org/p/A_hR2_166_c-002)



Prototype	C
AFLOW prototype label	A_hR2_166_c-002
ICSD	31829
Pearson symbol	hR2
Space group number	166
Space group symbol	$R\bar{3}m$
AFLOW prototype command	<code>aflow --proto=A_hR2_166_c-002 --params=a,c/a,x<sub>1</sub></code>

## Other compounds with this structure

Bi, P, Sb

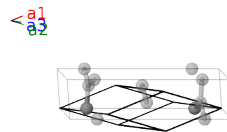
- Graphite also comes in a hexagonal form, which may be either flat (A9) or buckled. When  $x_1 = 1/6$  the graphite sheets are flat, however this does not produce a change in symmetry as it does in the hexagonal graphite structures.
- All of the elements listed in the “Other compounds” list have experimental entries in the ICSD.

- $\alpha$ -As (*A7*), rhombohedral graphite (*A\_hR2.166\_c*), and  $\beta$ -O have the same AFLOW prototype label, *A\_hR2.166\_c*. They are generated by the same symmetry operations with different sets of parameters (`--params`) specified in their corresponding CIF files. Hexagonal settings of rhombohedral structures can be obtained with the option `--hex`.

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### Rhombohedral primitive vectors

$$\begin{aligned}\mathbf{a}_1 &= \frac{1}{2}a \hat{\mathbf{x}} - \frac{\sqrt{3}}{6}a \hat{\mathbf{y}} + \frac{1}{3}c \hat{\mathbf{z}} \\ \mathbf{a}_2 &= \frac{1}{\sqrt{3}}a \hat{\mathbf{y}} + \frac{1}{3}c \hat{\mathbf{z}} \\ \mathbf{a}_3 &= -\frac{1}{2}a \hat{\mathbf{x}} - \frac{\sqrt{3}}{6}a \hat{\mathbf{y}} + \frac{1}{3}c \hat{\mathbf{z}}\end{aligned}$$




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### Basis vectors

	Lattice coordinates		Cartesian coordinates	Wyckoff position	Atom type
$\mathbf{B}_1$	$= x_1 \mathbf{a}_1 + x_1 \mathbf{a}_2 + x_1 \mathbf{a}_3$	$=$	$cx_1 \hat{\mathbf{z}}$	(2c)	C I
$\mathbf{B}_2$	$= -x_1 \mathbf{a}_1 - x_1 \mathbf{a}_2 - x_1 \mathbf{a}_3$	$=$	$-cx_1 \hat{\mathbf{z}}$	(2c)	C I

### References

- [1] H. Lipson and A. R. Stokes, *The structure of graphite*, Proc. Roy. Soc. A **181**, 101–105 (1942), doi:10.1098/rspa.1942.0063.

### Found in

- [1] J. Donohue, *The Structures of the Elements* (Robert E. Krieger Publishing Company, New York, 1974).